

Question 21 (4 marks)

In his science fiction novel *From the Earth to the Moon*, Jules Verne describes how to launch a capsule from a cannon to land on the moon. To reach the moon, the capsule must leave the cannon with a speed of $1.06 \times 10^4 \text{ m s}^{-1}$. The cannon has a length of 215 m, over which the capsule can be assumed to accelerate constantly.

- (a) Calculate the magnitude of the acceleration required to achieve this speed using this cannon. 2

$$a = \frac{\Delta v}{\Delta t} \rightarrow \frac{1.06 \times 10^4}{\Delta t} \rightarrow \frac{v}{s} \rightarrow v^2 = u^2 + 2as$$

$$(1.06 \times 10^4)^2 = 0 + 2 \times 215 \times a$$

$$\therefore a = \frac{112360000}{430}$$

$$= 261302 \text{ m s}^{-2}$$

- (b) Referring to your answer in part (a), explain why Jules Verne's method is unsuitable for sending a living person to the moon. 2

...this acceleration would mean g-forces far too great for humans to survive:
 g-force is given by $g\text{-force} = \frac{g+a}{9.8}$, approximately 26700gs in this case. Humans can survive ~ 8 g-forces in the direction perpendicular to body length.

$$a) \quad v^2 = u^2 + 2as$$

$$(1.06 \times 10^4)^2 = 2 \times 215 \times a$$

$$a = \frac{(1.06 \times 10^4)^2}{430}$$

$$= 261302 \text{ m s}^{-2}$$

$$s = 215, \quad v = 1.06 \times 10^4$$

$$a = ? \quad u = 0$$